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Then is $DCFG$ or $BDGH$ the required trapezoid. For $BD=GF=b$, $DC=HG=a$, $\angle DKC=\angle BLD=\angle BGC=A$, and $CE=p$. By treating the point m as we did G we get two other trapezoids answering all conditions.

This problem was solved in a similar manner by COOPER D. SCHMITT, A. H. BELL, J. SCHEFFER, B. F. SINE, J. M. COLAW, P. S. BERG, O. W. ANTHONY, E. W. MORRELL, J. C. GREGG, and H. J. GAERTNER.

PROBLEMS.

56. Proposed by WILLIAM HOOVER, A. M., Ph. D., Professor of Mathematics and Astronomy, Ohio University, Athens, Ohio.

The locus of the centers of the isogonal transformations of all the diameters of the circumcircle of any triangle is the nine-points circle. *Brocard*.

57. Proposed by J. OWEN MAHONEY, B. E., Graduate Fellow and Assistant in Mathematics, Vanderbilt University, Nashville, Tennessee.

Show that pairs of points, on a straight line may be so related harmonically that a pair of real points will be harmonic with regard to a pair of imaginary points, and by this means prove that there are an indefinite number of conjugate pairs of imaginary points on a real line.

CALCULUS.

Conducted by J. M. COLAW, Monterey, Va. All contributions to this department should be sent to him.

SOLUTIONS OF PROBLEMS.

45. Proposed by GEORGE LILLEY, Ph. D., LL. D., Principal of Park School, 394 Hall Street, Portland, Oregon.

A fly starts from a point in the circumference of a table, 3 feet in diameter, and travels uniformly along the diameter to a point in the circumference of the table directly opposite the starting point. The table moves uniformly to the right about a center axis in such manner that it makes one complete revolution while the fly passes over its diameter. Find the absolute path described by the fly and the ratio of rates of movement of the table and the fly.

I. Solution by the PROPOSER.

The curve described by the fly is the spiral of Archimedes. Its equation

$$\text{is } r=a\theta. \quad S=\int_0^\pi \left(\sqrt{r^2 + \left(\frac{dr}{d\theta} \right)^2} \right) d\theta, = \frac{a\pi\sqrt{1+\pi^2}}{2} + \frac{a}{2} \log(\pi + \sqrt{1+\pi^2}).$$

Hence, $2S$, or the absolute path described by the fly, is $63.994+$ inches.

If we take the Naperian logarithm of $(\pi + \sqrt{1+\pi^2})$ the result is $69.6+$ inches.